

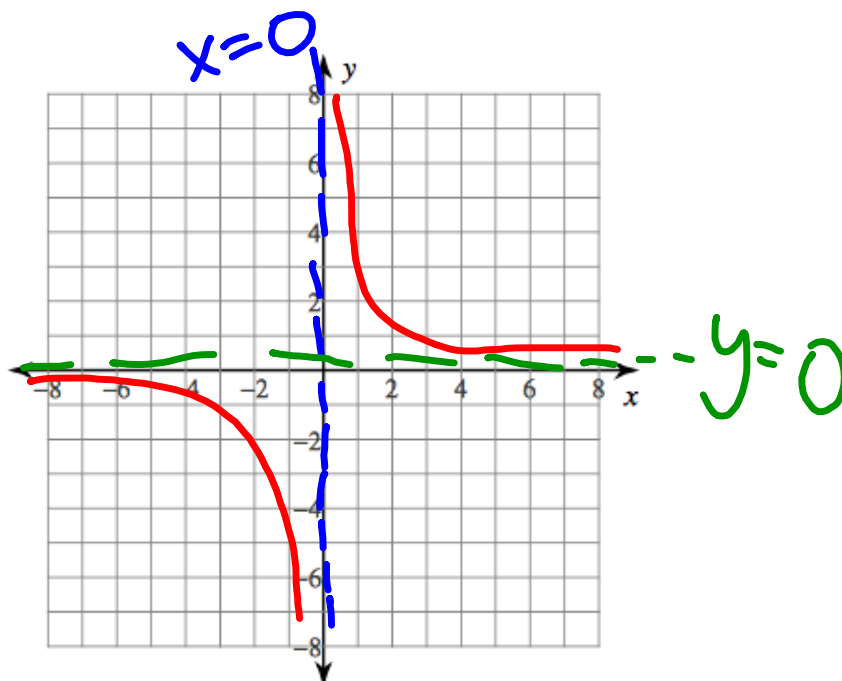
11-1 Rational Functions

Objectives:

- I can determine the domain, range, end behavior, and intervals of increasing and decreasing of rational functions.
- I can identify the transformation of a given function and sketch a graph
- I can write a rational equation given a graph.



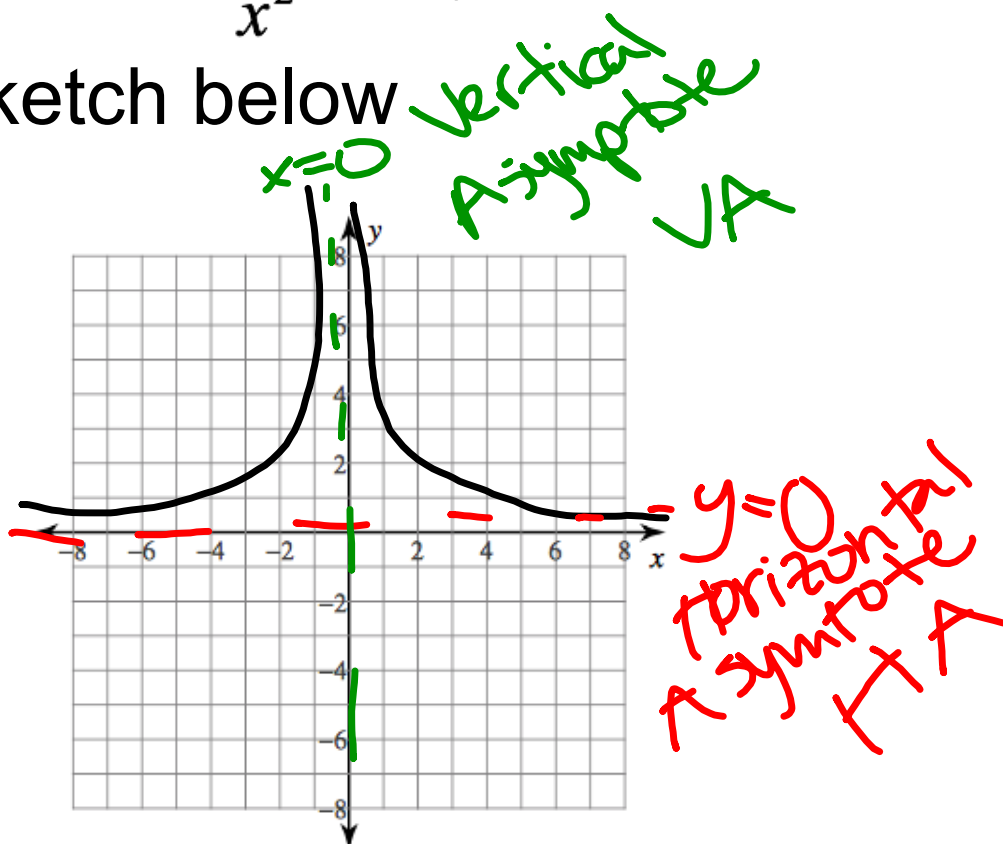
Graph $f(x) = \frac{1}{x}$ on your calculator
and sketch below



What are the excluded values?

Where are the asymptotes?

Graph $f(x) = \frac{1}{x^2}$ on your calculator and sketch below



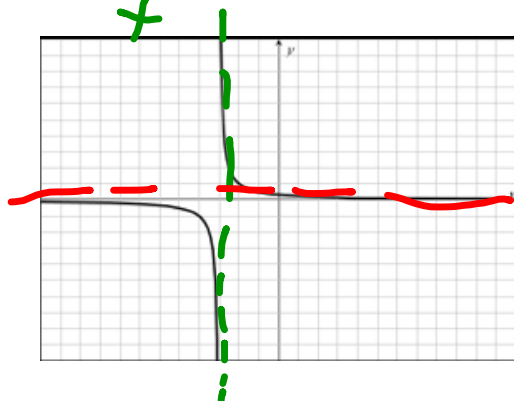
What are the excluded values?

Where are the asymptotes?

What are the excluded values of the graph below? How do they correspond to the graph?

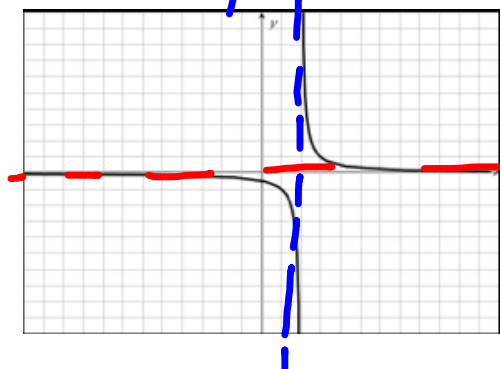
$$f(x) = \frac{1}{x+3}$$

Shift left 3



$$f(x) = \frac{1}{x-2}$$

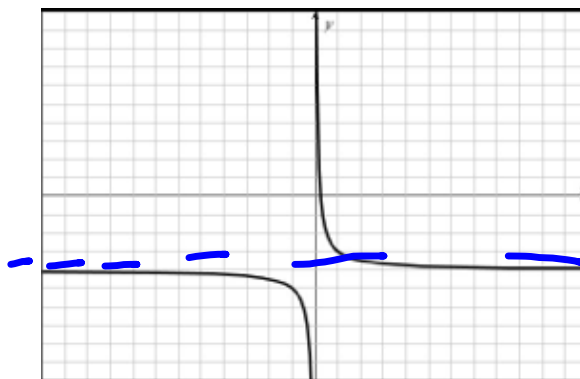
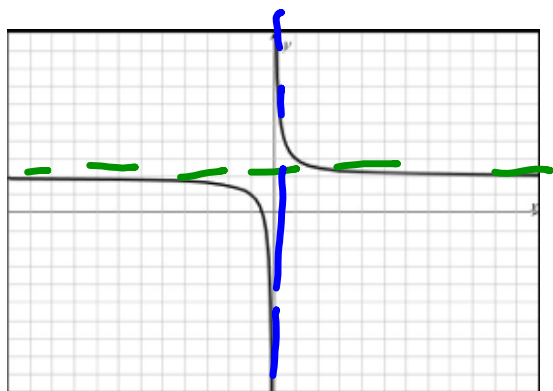
right 2



How do the changes to the equation affect the graph?

$$f(x) = \frac{1}{x} + \underline{2} \quad x^2$$

$$f(x) = \frac{1}{x} - \underline{4}$$

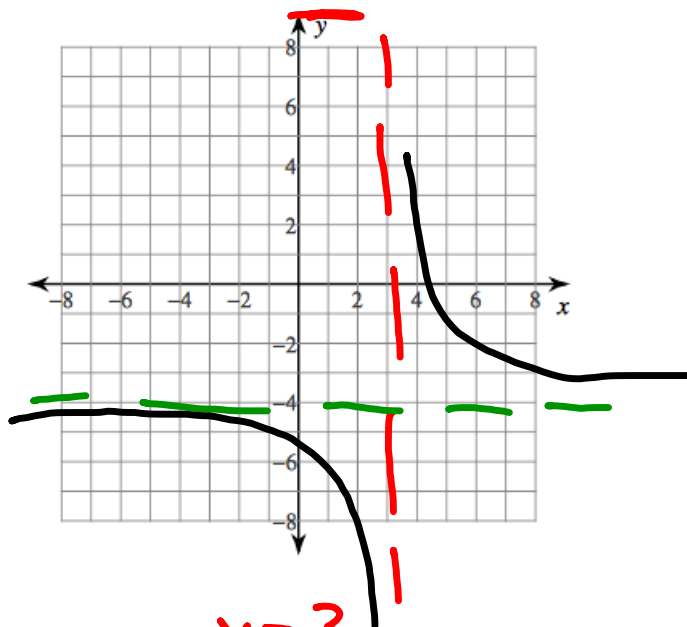


How do h and k change the parent function?

$$f(x) = \frac{1}{x-h} + k$$

Handwritten notes:
 - Next to $f(x)$: x shifts left
 - Next to h : shift right, *changes left
 - Next to k : up/down, *changes right

$$f(x) = \frac{1}{x-3} - 4$$



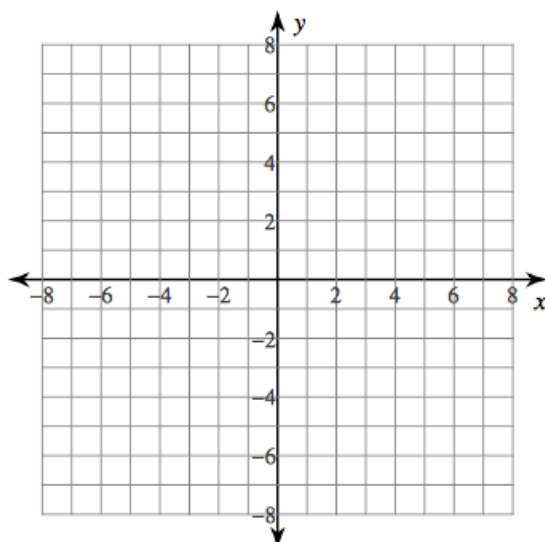
Vertical Asymptote: $x=3$

Horizontal Asymptote: $y=-4$

~~Domain:~~

~~Range:~~

$$f(x) = \frac{1}{x-3} + 3$$



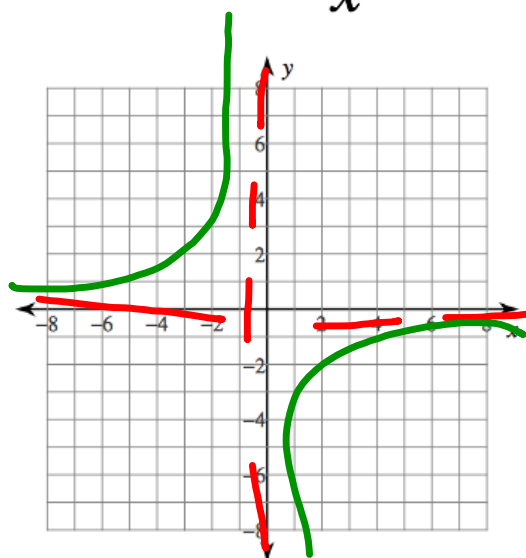
Vertical Asymptote:

Domain:

Horizontal Asymptote:

Range:

$$f(x) = -\frac{1}{x}$$



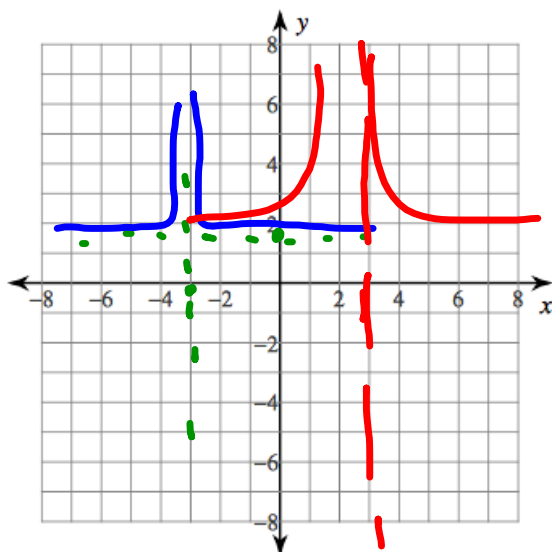
Vertical Asymptote: 0

Horizontal Asymptote: 0

~~Domain:~~

~~Range:~~

$$f(x) = \frac{1}{(x-3)^2} + 2$$



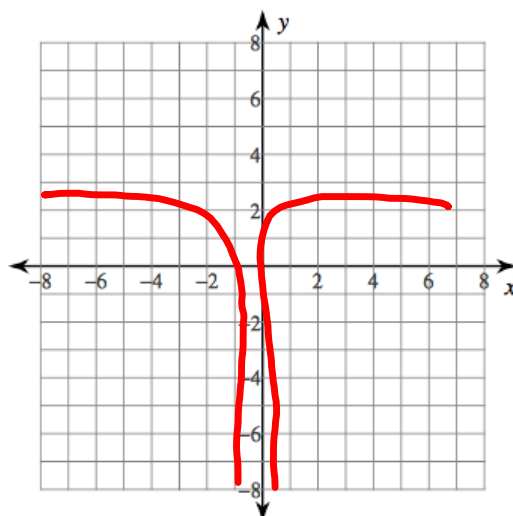
Vertical Asymptote: 3

Horizontal Asymptote: 2

Domain:

Range:

$$f(x) = -\frac{1}{x^2} + 3$$



Vertical Asymptote:

0

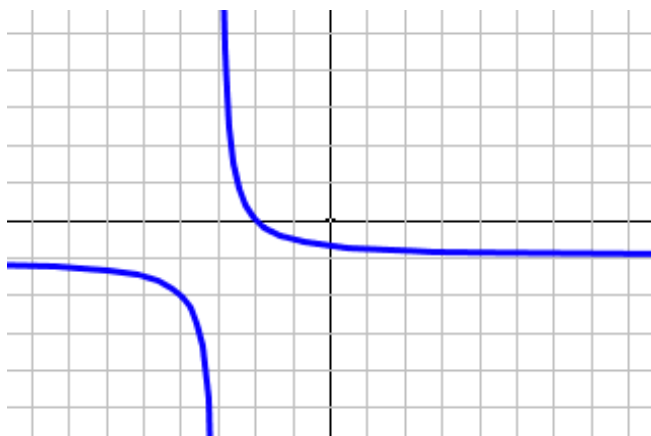
Horizontal Asymptote:

3

Domain:

Range:

Write the equation for the following graph



HA:

Domain:

VA:

Range: